

Analysing Switch-Case Tables by Partial Evaluation

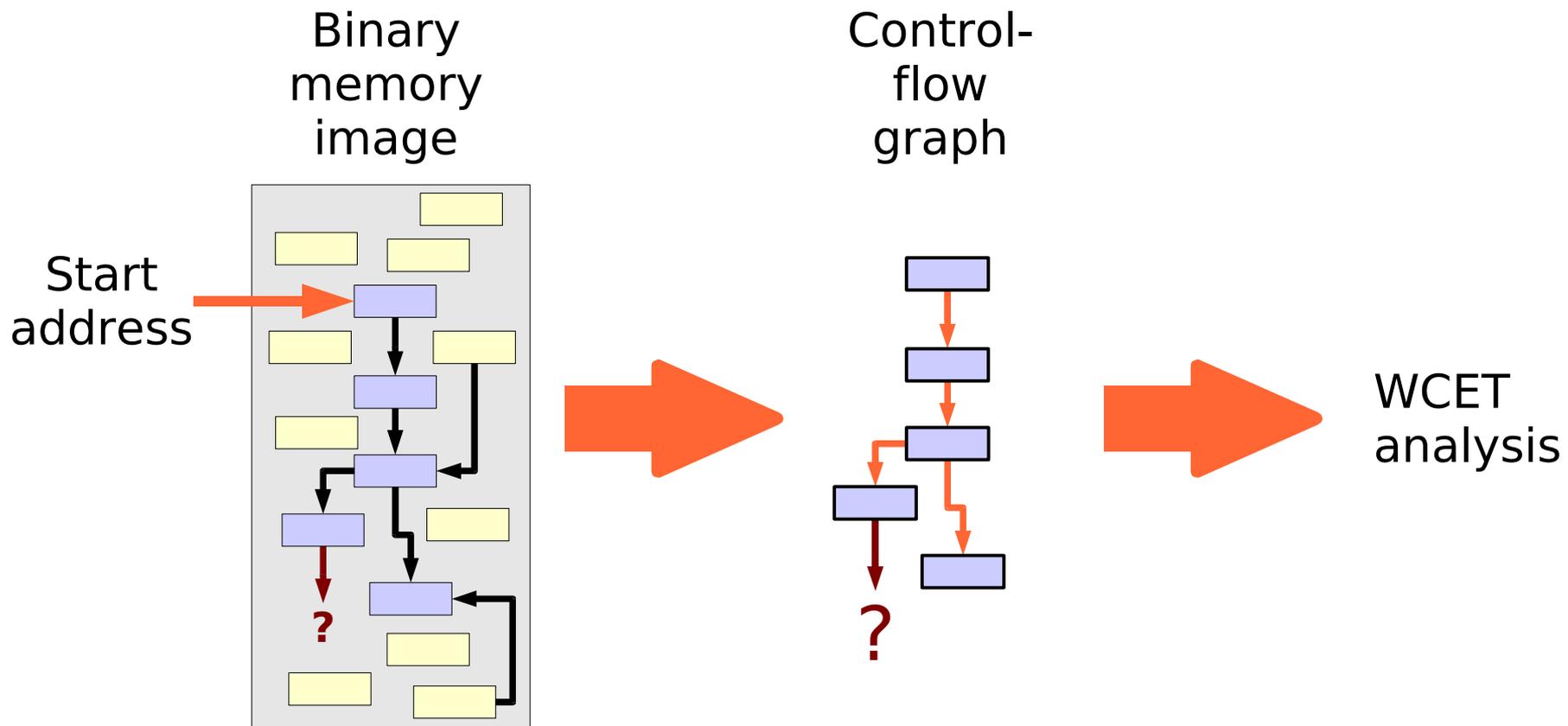
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From binary file to control-flow graph



Problem: **dynamic** transfer of control, **DTC**
for example **jump via register**

Overview

- Analysing **DTC** from a switch-case statement
- When compiled into a **switch table** interpreted by a **switch handler** routine
- **Partial evaluation** (PE) of switch handler
- Example

Switch tables and switch handlers

Switch-case statement

```
switch (k) {  
  case 4: ...  
  case 8: case 9: case 11: ...  
  default: ... }
```

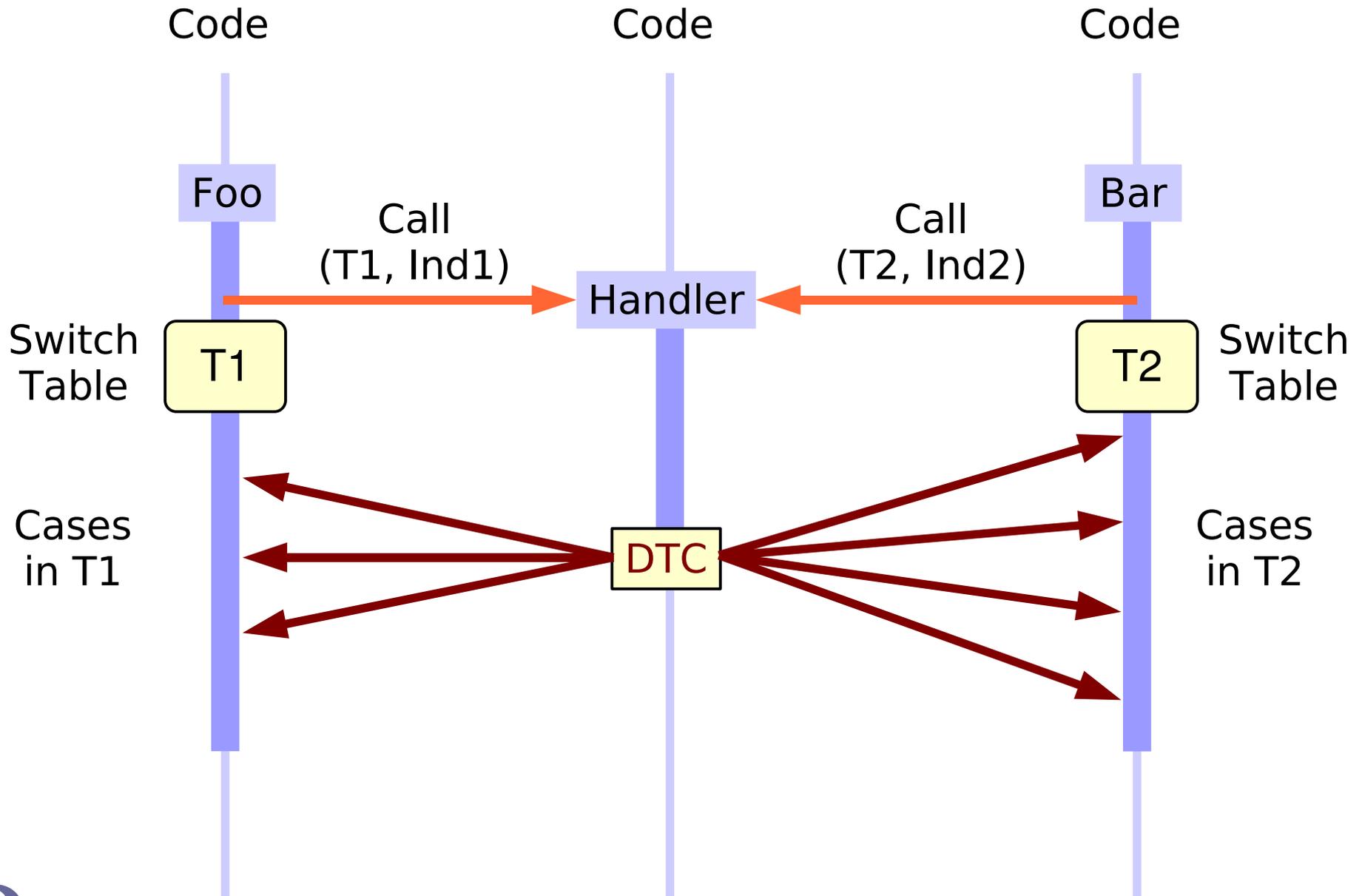
Switch table

A constant table that maps index value to code address:

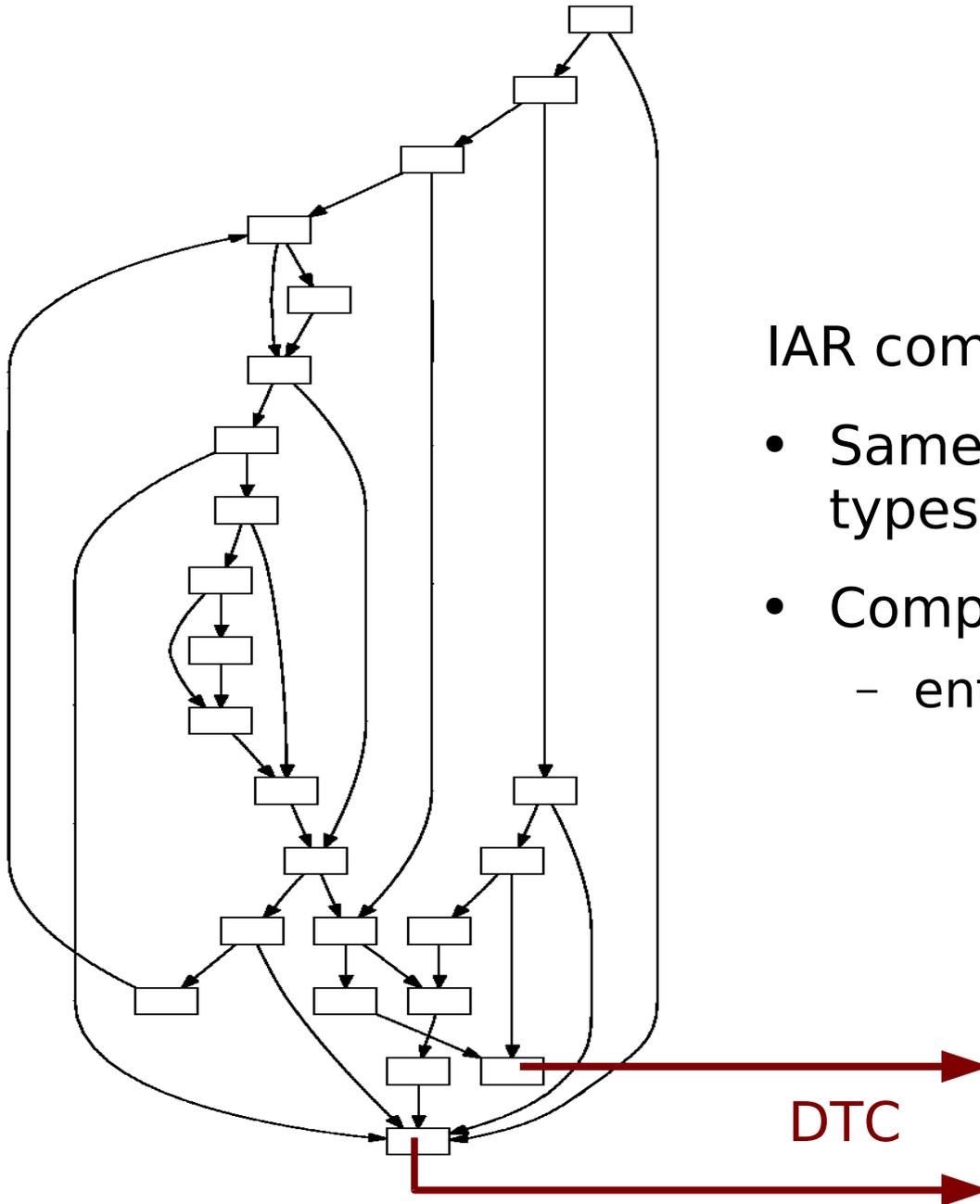
4	→ A: <case 4>
8, 9, 11	→ B: <case 8, 9, 11>
others	→ C: <default>

- Various **forms** of switch tables
 - depending on compiler, index type, dense/sparse, ...
- Compiler generates:
 - switch table T
 - call or jump to **switch handler** (Table \Rightarrow T, Index \Rightarrow k)
- **Switch handler**
 - looks up **Index** in **Table**
 - jumps to that case **using DTC**

One handler - many switches



A real switch handler



IAR compiler for Atmel AVR

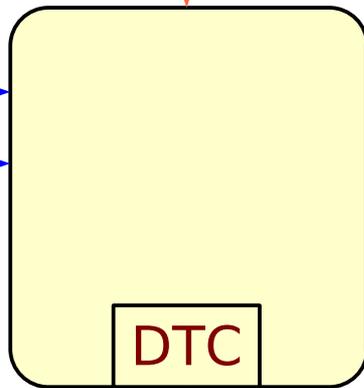
- Same handler for many index types (8, 16, 32 bits)
- Complex table structure
 - entries of variable length

Partial Evaluation of switch handlers

Switch handler for **any Table** and **any Index**

Call

Table
Index



Addresses defined in the **Table**

Partially evaluate the switch handler with respect to the **known switch table T** for a given switch-case statement



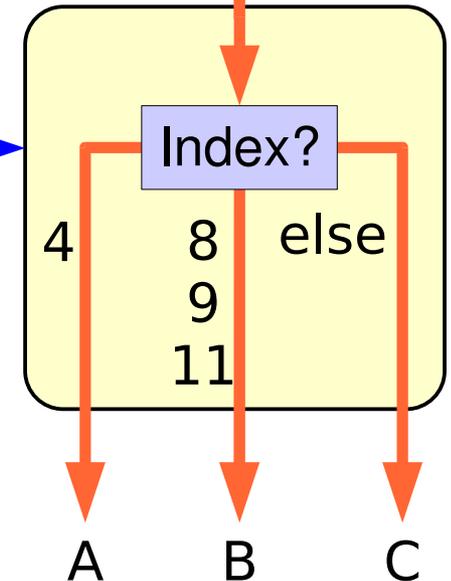
Table T

<u>Index</u>	<u>Addr</u>
4	A
8,9,11	B
default	C

Residual switch handler for table T and any Index

Call

Index



DTC is resolved into **static jumps**

Eureka

- The analysis “runs” the switch handler
- The switch handler *itself* decodes the switch table

The example

- Here shown on a **symbolic** level
 - paper shows AVR machine code
- Partial Evaluation as implemented in Bound-T
 - **on the fly** while building flow-graph
 - **data state**: some variables bound to constants

Simple 8-bit switch table & handler

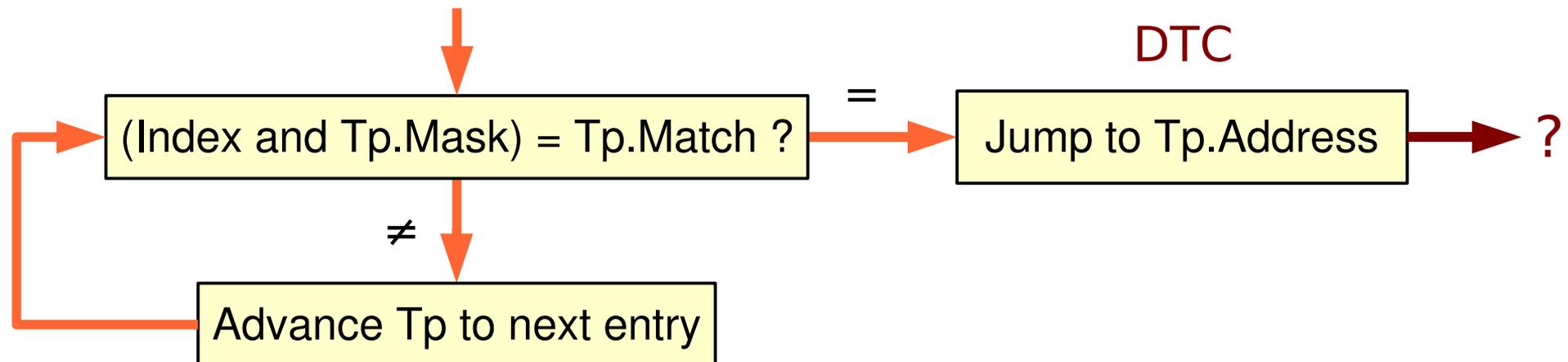
```
switch (k) {  
  case 4: ...  
  case 8: case 9: case 11: ...  
  default: ... }
```

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

SwHandler

parameters:

- pointer **Tp** to switch table
- 8-bit **Index** (k) of switch-case



0. Detect invocation of switch handler

Flow graph (1 node so far)

```
 Tp := addr (T[0])  
 Index := k  
 invoke SwHandler
```



Aha!

Entering switch handler!

Tp →

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

- Start PE with initial data-state

$Tp \rightarrow T[0]$

- Expand SwHandler “in-line”

1. Add first step in *SwHandler*, with data state

Tp := addr (T[0])
 Index := k
 invoke SwHandler

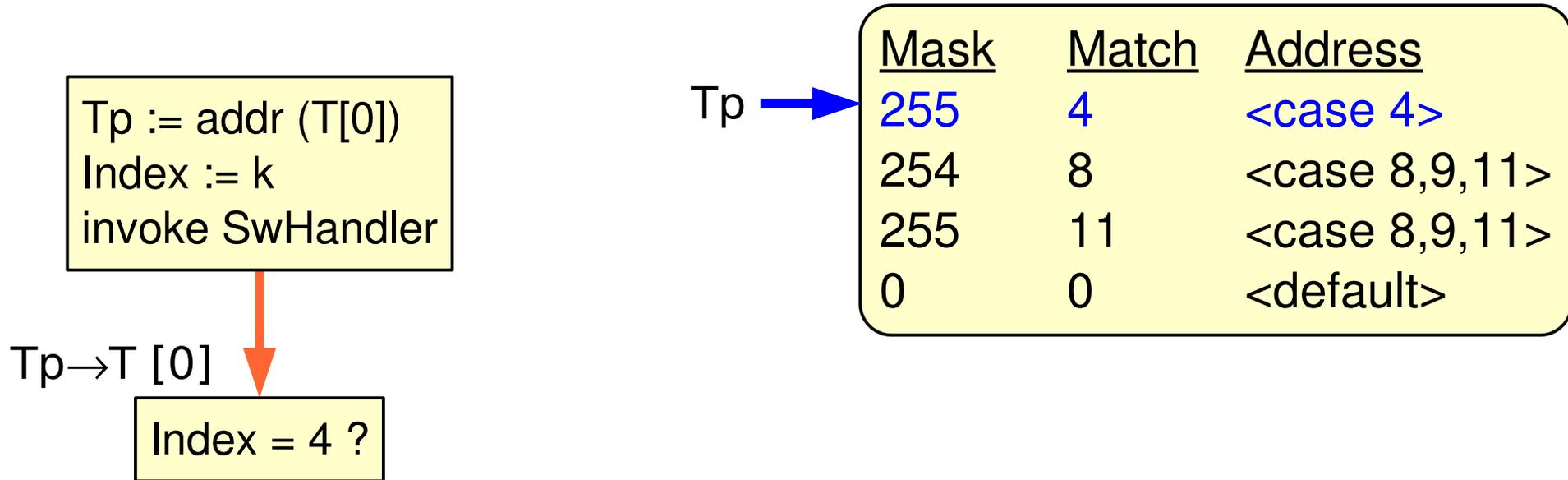
Tp → T [0]

(Index and Tp.Mask) = Tp.Match ?

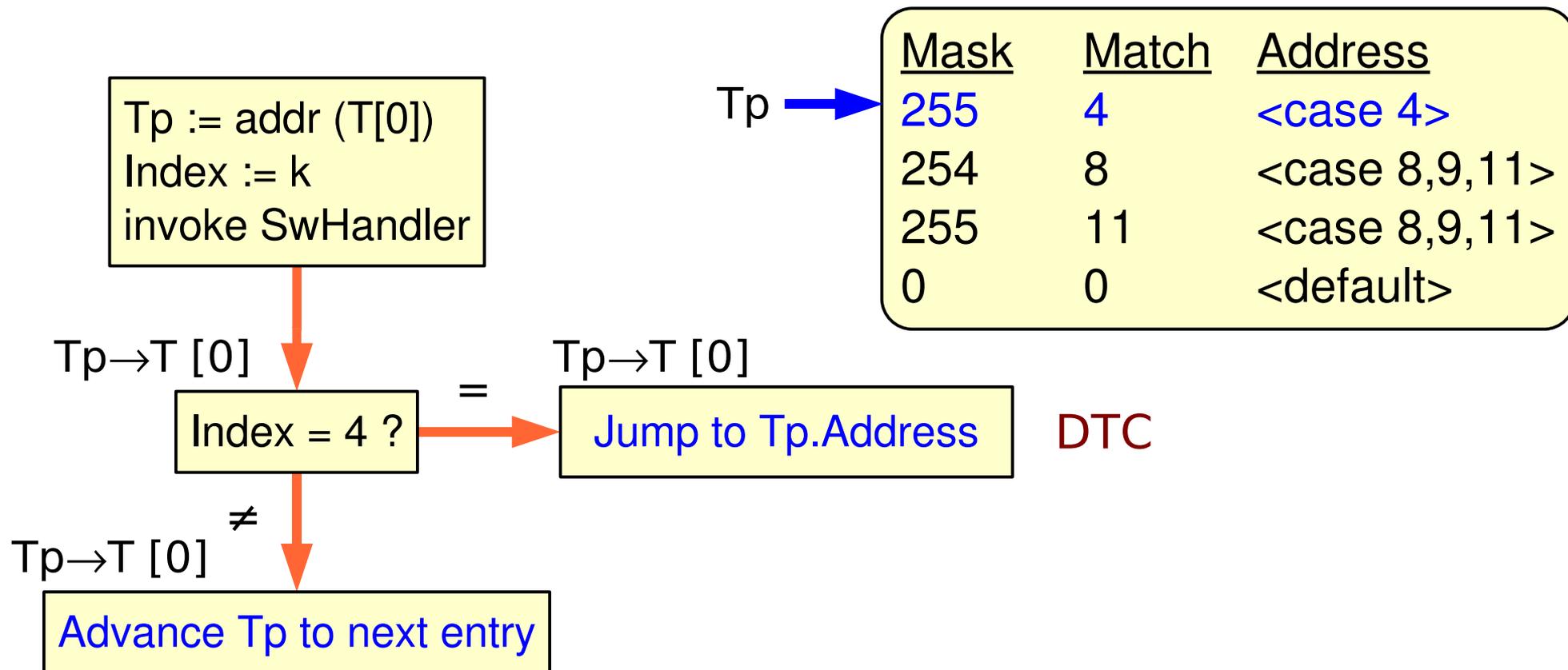
Tp →

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

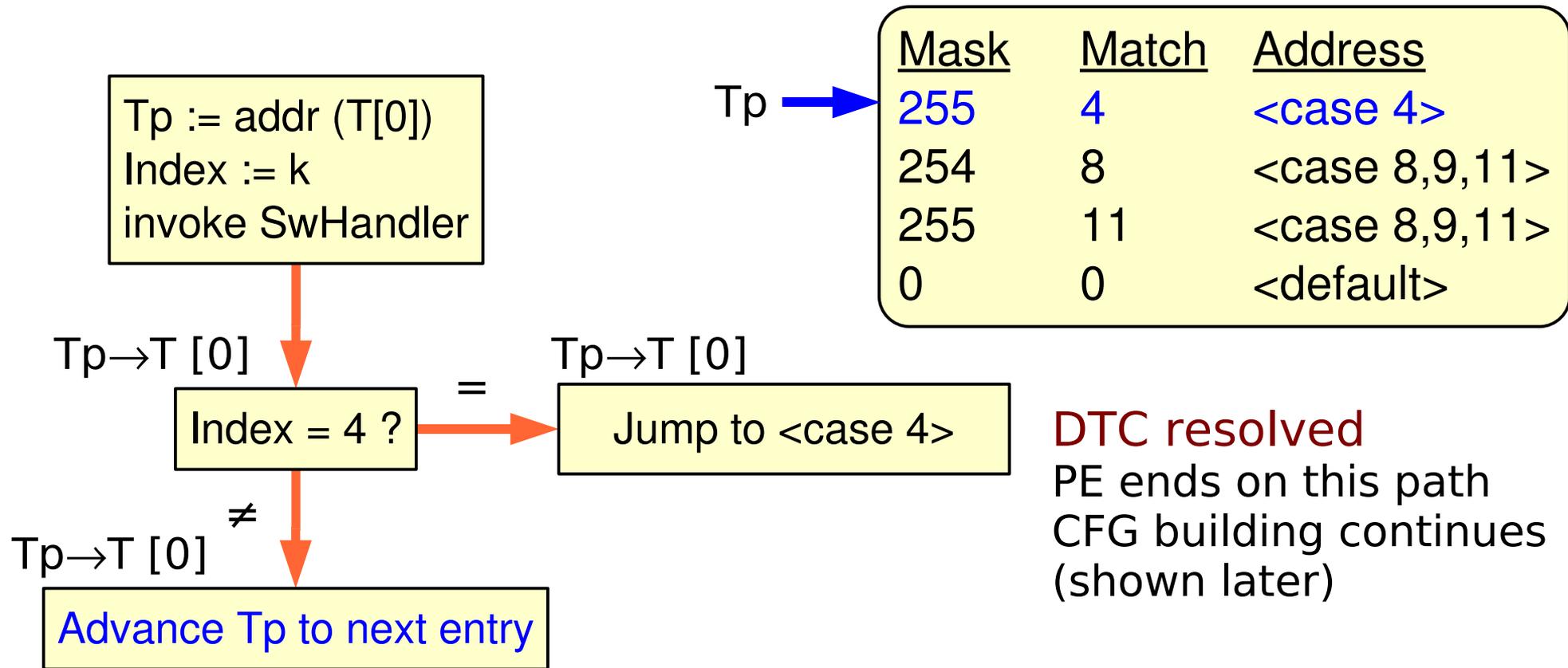
2. Partially evaluate wrt data state



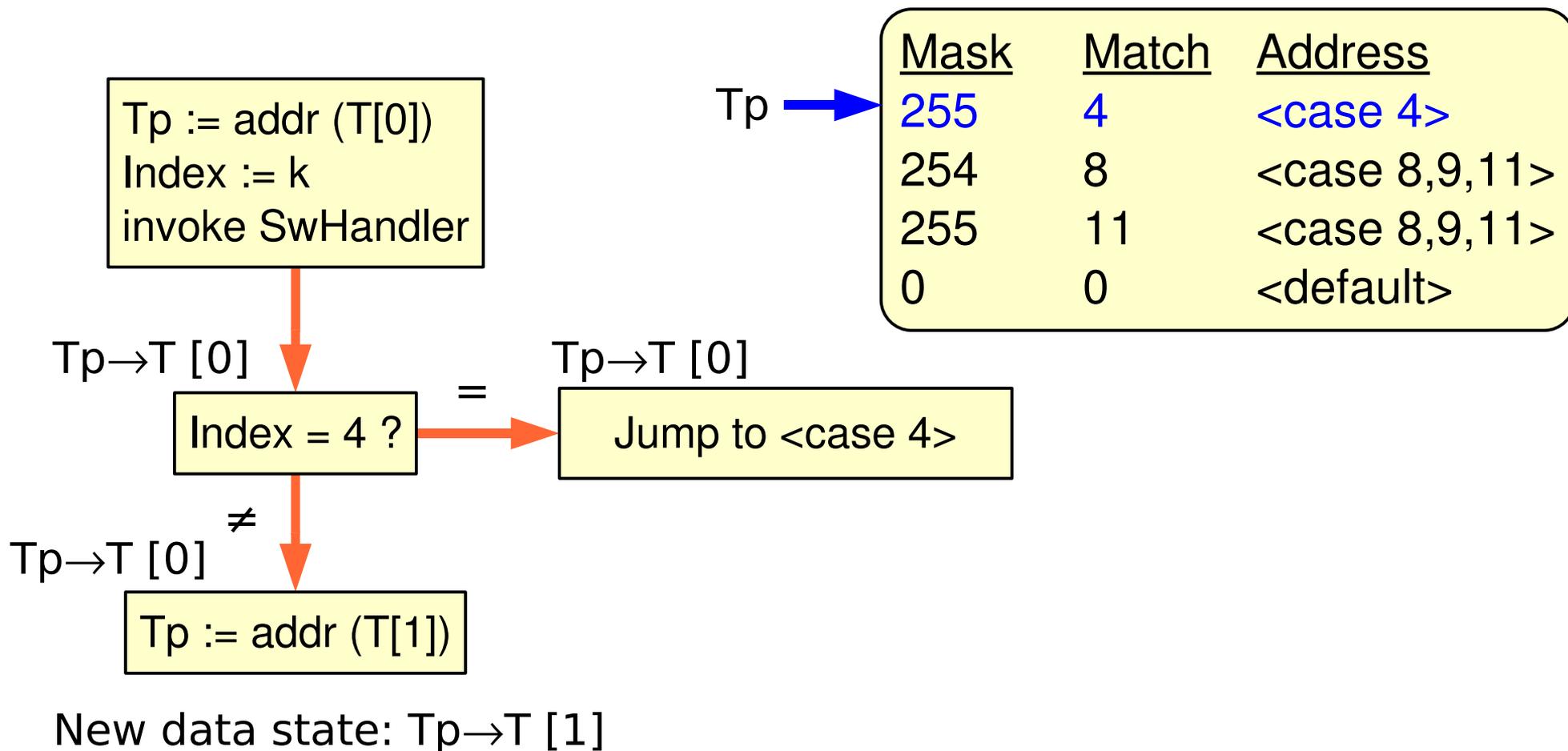
3. Generate successors (PC, data state) & add



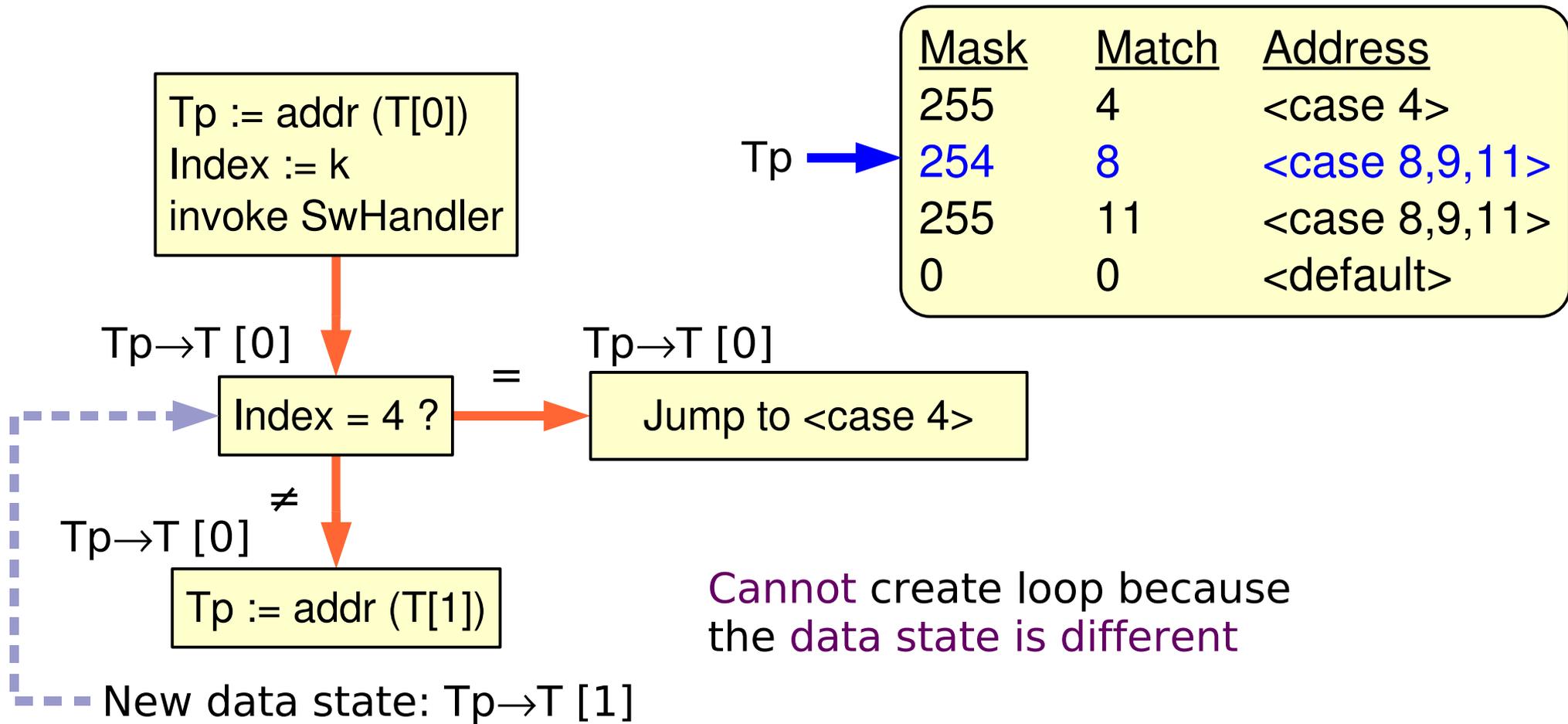
4a. Partially evaluate wrt data state



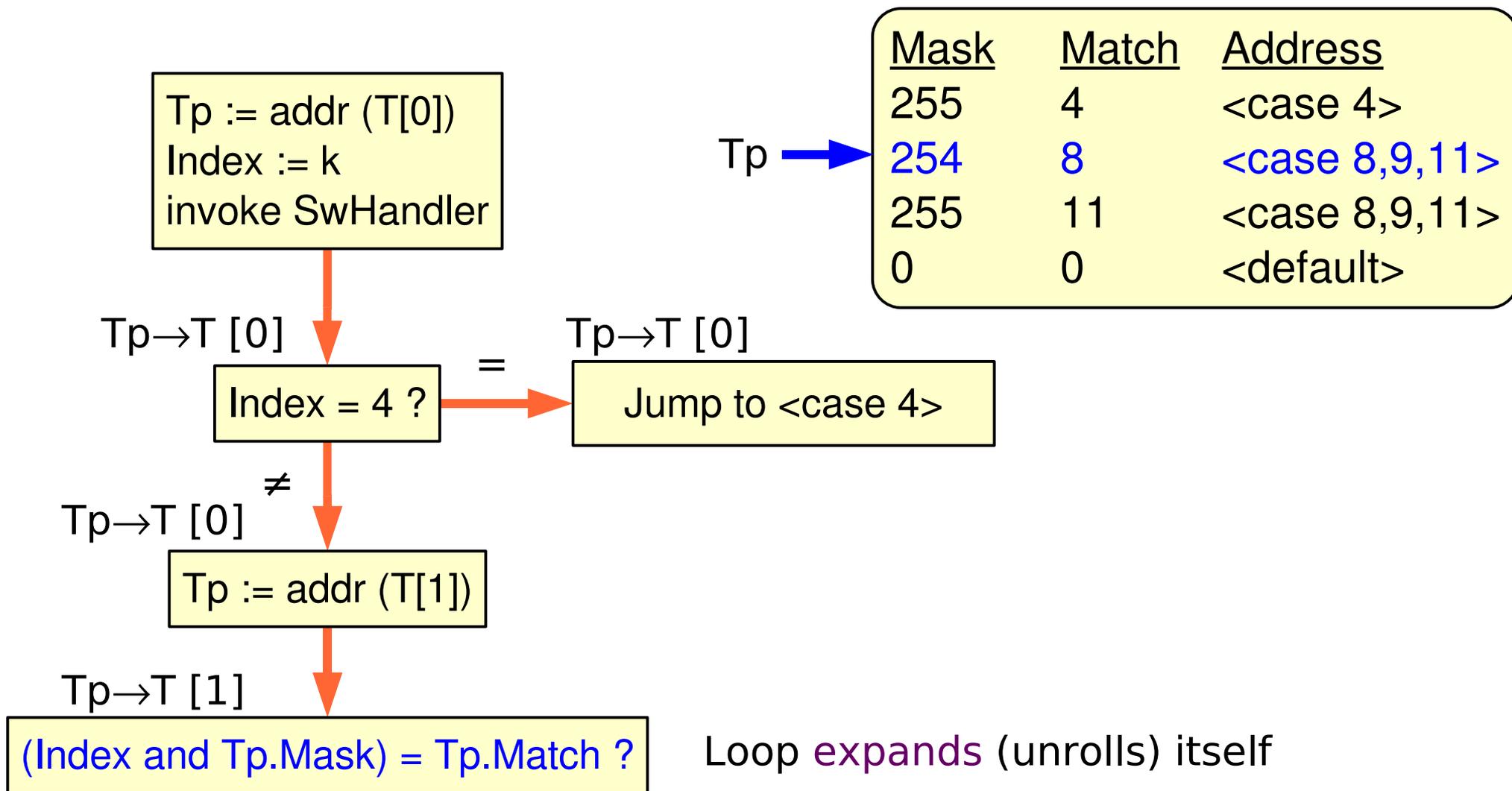
4b. Partially evaluate wrt data state



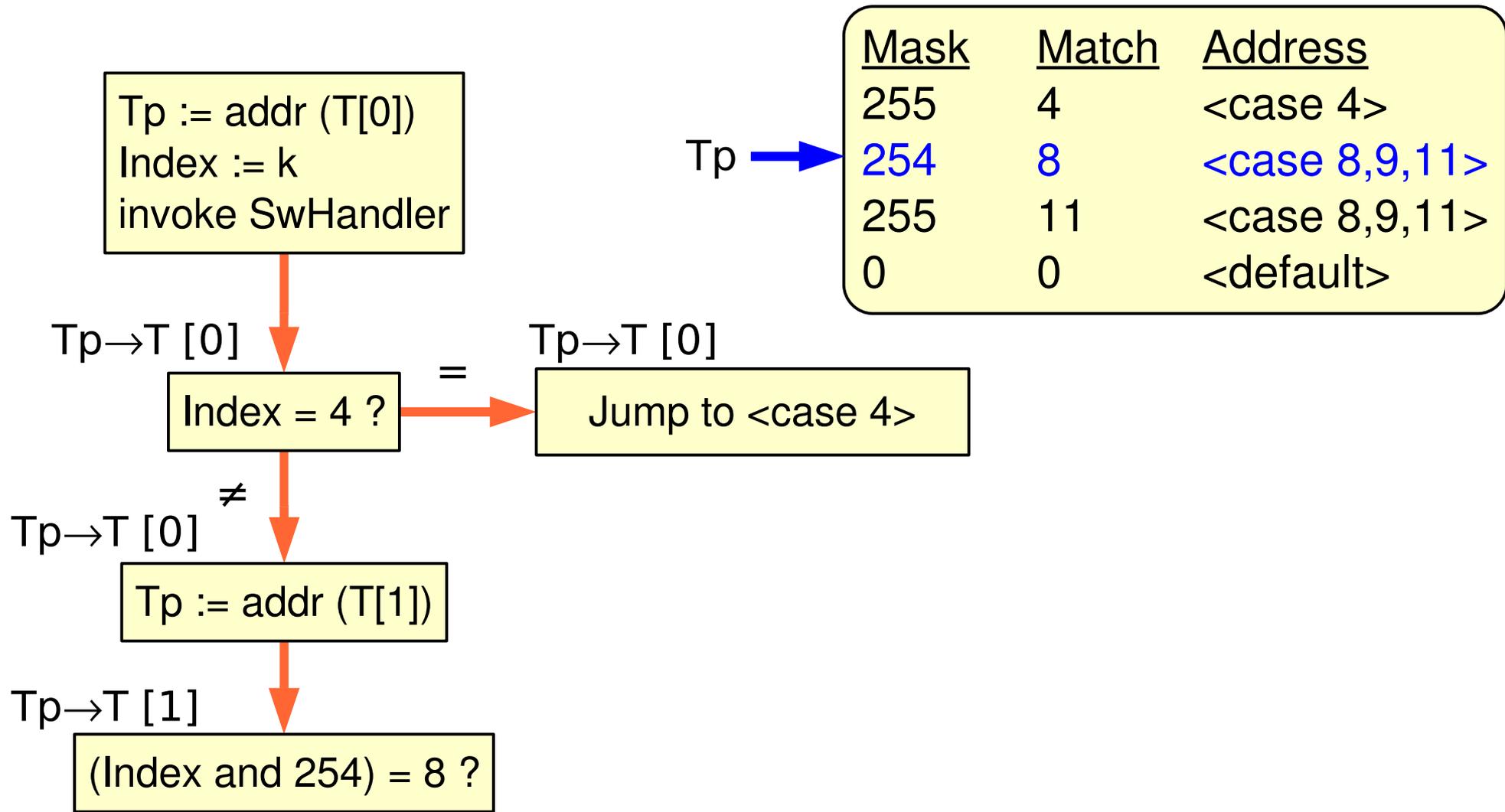
Generate successors: can we loop?



5. Generate successors (PC, data state) & add



6. Partially evaluate wrt data state



7. Generate successors (PC, data state) & add

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

Tp →

Tp := addr (T[0])
 Index := k
 invoke SwHandler

Tp → T [0]

Index = 4 ?

=

Tp → T [0]

Jump to <case 4>

≠

Tp → T [0]

Tp := addr (T[1])

Tp → T [1]

(Index and 254) = 8 ?

=

Tp → T [1]

Jump to Tp.Address

DTC

≠

Tp → T [1]

Advance Tp to next entry



8. Partially evaluate wrt data state, etc.

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

Tp →

Tp := addr (T[0])
 Index := k
 invoke SwHandler

Tp → T [0]

Index = 4 ?

=

Tp → T [0]

Jump to <case 4>

≠

Tp → T [0]

Tp := addr (T[1])

Tp → T [1]

(Index and 254) = 8 ?

=

Tp → T [1]

Jump to <case 8,9,11>

DTC resolved

≠

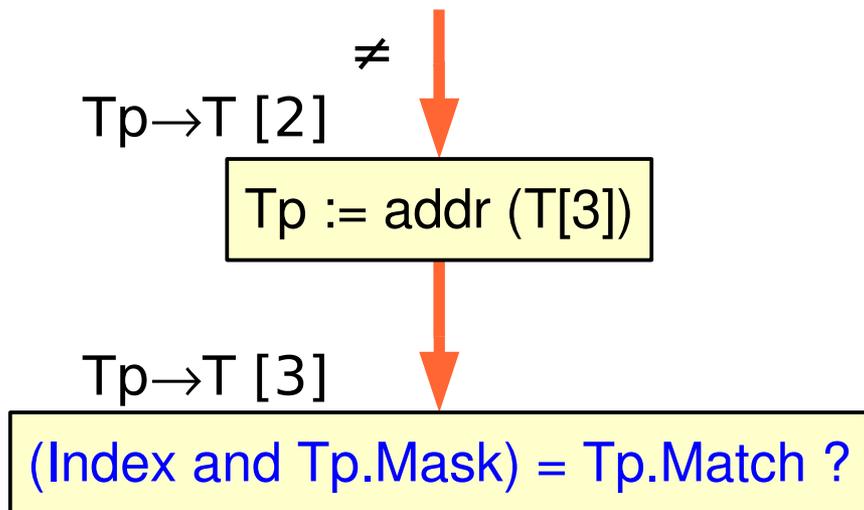
Tp → T [1]

Tp := addr (T[2])

... and so on ...



n. Add successors for last table entry



$Tp \rightarrow$

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

n+1. Partially evaluate wrt data state

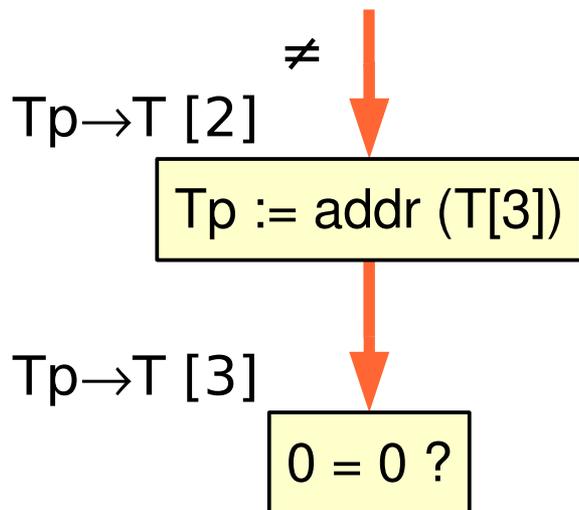
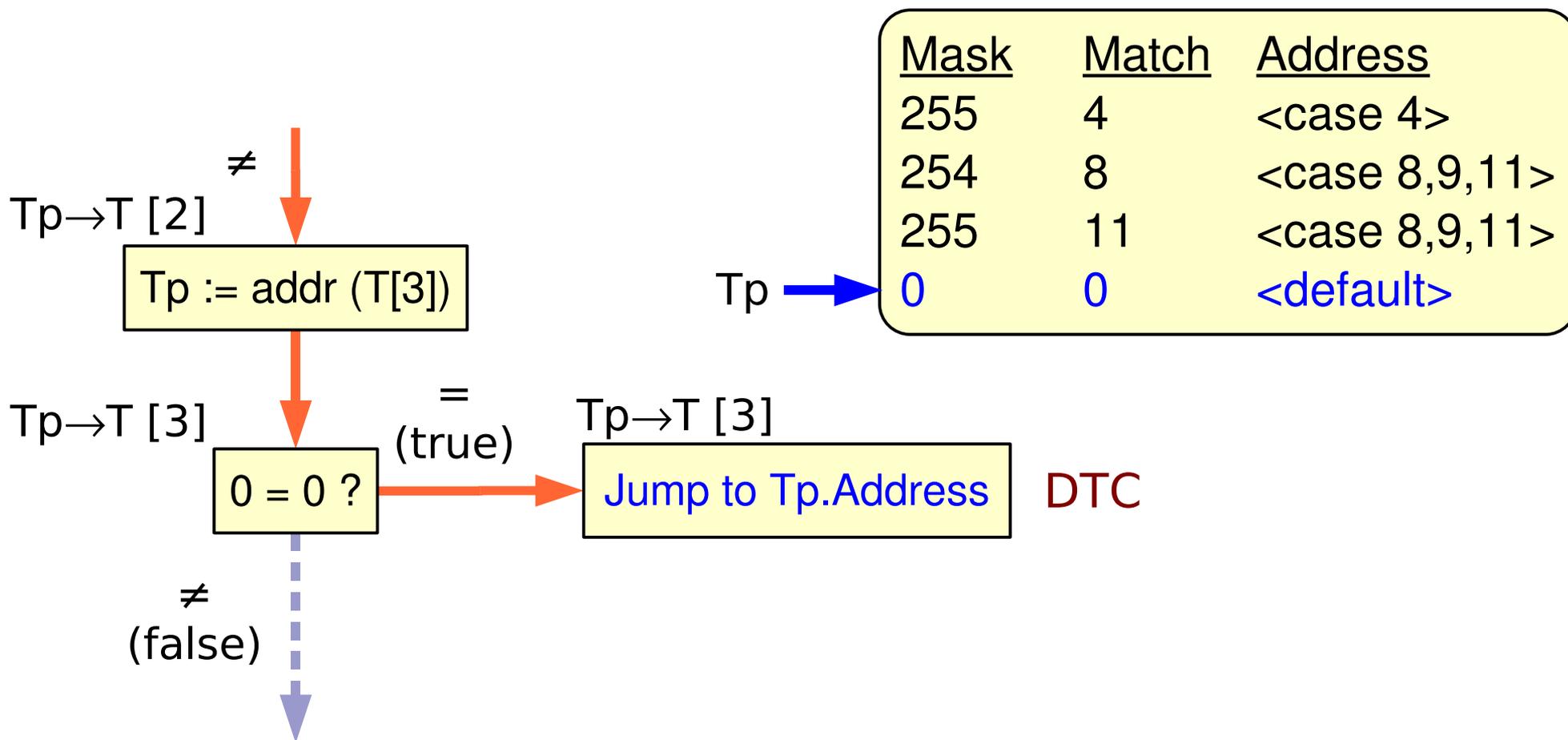


Diagram illustrating a table lookup:

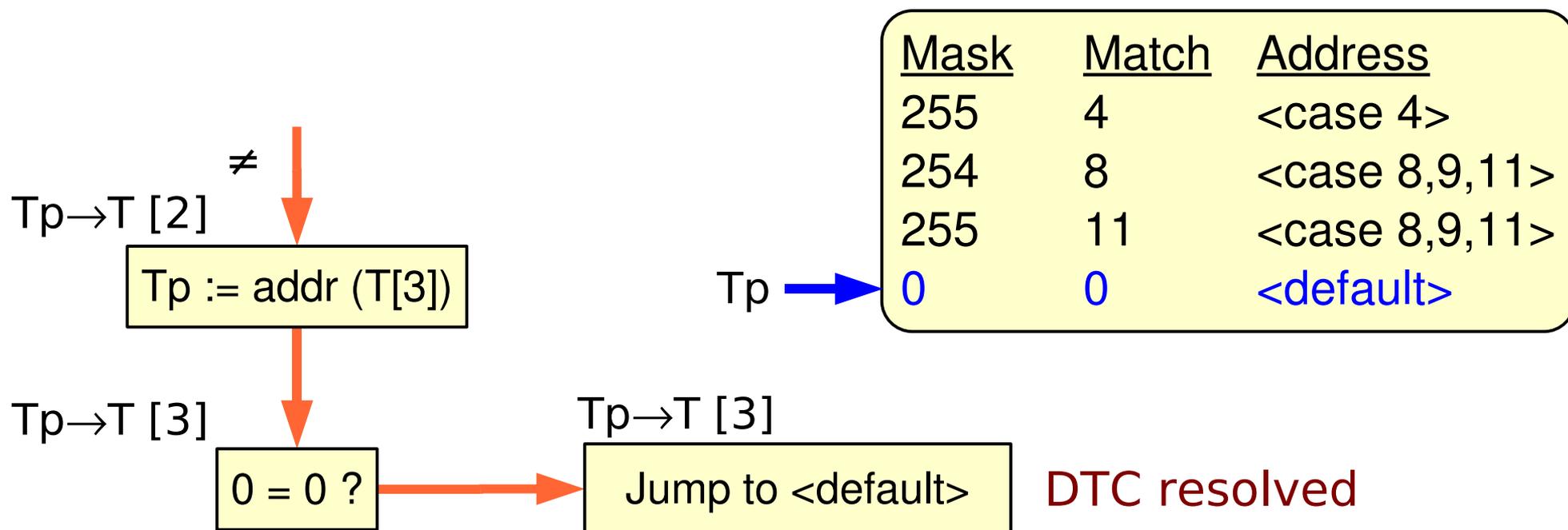
- Label: Tp with a blue arrow pointing to the first row.
- Table:

<u>Mask</u>	<u>Match</u>	<u>Address</u>
255	4	<case 4>
254	8	<case 8,9,11>
255	11	<case 8,9,11>
0	0	<default>

n+2. Generate & add *feasible* successors



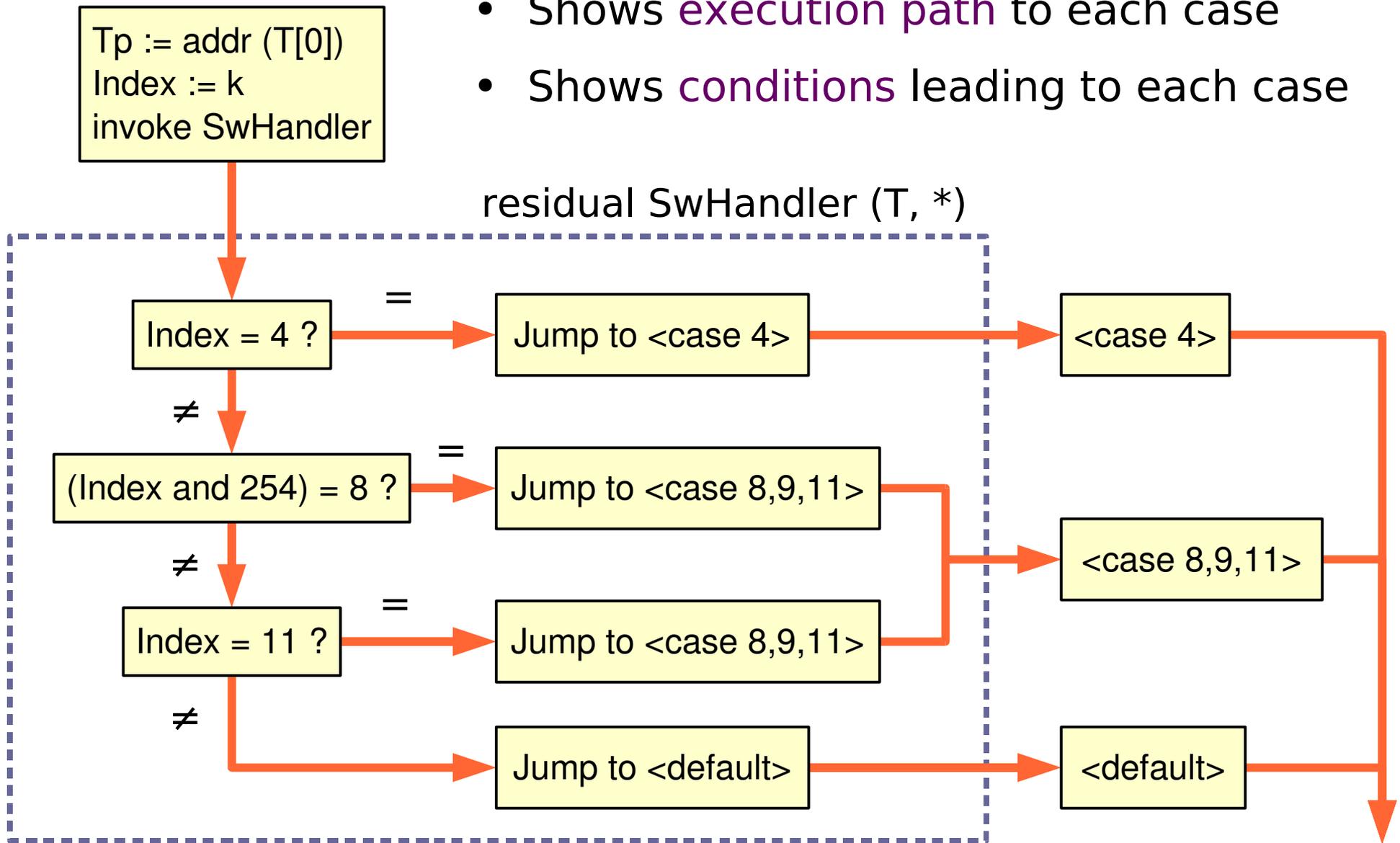
n+3. Partially evaluate wrt data state



- All paths end with **resolved DTC**
- Expansion of switch handler completed
 - for this switch-case statement

Completed flow-graph

- Shows **execution path** to each case
- Shows **conditions** leading to each case



Summary

- Traditional flow-graph construction:
 - enumerate **only PC** values
- Flow-graph construction with PE:
 - choose **relevant data state** components (... but how ?)
 - enumerate **product domain** (PC, data state)
- PE applied here to switch handlers
 - easy to choose the relevant data:
 - the **switch table** and anything derived from it
- Other PE applications in WCET analysis?